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A Theory of Credit Cards

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Abstract

Recent U.S. antitrust litigation and concerns by regulatory authorities over fees in Australia and the European Union have questioned the nature of various bilateral relationships and associated fees underlying credit card transactions. A two-period model is constructed to study the interactions among consumers, merchants, and a card issuer. The model yields the following results. First, if the issuer's cost of funds is not too high and the merchant's profit margin is sufficiently high, a credit card equilibrium exists. Second, the issuer's ability to charge higher merchant discount fees depends on the number of customers gained when credit cards are accepted. Thus, credit cards exhibit characteristics of network goods. Third, each merchant faces a prisoner's dilemma where each independently chooses to accept credit cards, however all merchants' two-period profits are reduced because of intertemporal business stealing across industries.

JEL Classifications: G2, D4, L2

Key Words: Credit Cards, Merchant Discount, Payment Systems, Network Effect

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Today, credit cards serve as an indispensable credit and payment instrument in the United States. In 1999, there were 14.2 billion credit card transactions accounting for \$1.096 trillion (Credit Card News, 2000). The popularity of credit cards continues to grow as evidenced by the greater proportion of merchants that accept them and of consumers that carry them. Using a dynamic model, we explore the costs and benefits of credit cards to consumers, merchants and the card issuer.

Consumers find credit cards convenient for making purchases by accessing lines of credit that they may choose to pay off at the end of the billing cycle or pay over a longer period of time. Around thirty to forty percent of consumers pay off their balances in full every month, such consumers are known as convenience users. In the United States, issuers seldom impose per-transaction fees and often waive annual membership fees.¹ Furthermore, issuers may provide incentives such as frequent-use awards, dispute resolution services, extended warranties and low-price guarantees to promote usage. While revolvers usually receive the same benefits as convenience users, they are usually charged for these card enhancements as part of finance charges on their borrowings.

Merchants also benefit from accepting credit cards. Ernst and Young (1996) found that 83 percent of merchants thought that their sales would increase and 56 percent thought that their profits would increase by accepting credit cards. Merchants benefit from sales to illiquid consumers who would otherwise not be able to make purchases. By participating in a credit card network, merchants generally receive funds within 48 hours. Credit cards provide relatively secure transactions for non-face-to-face transactions as evidenced by the overwhelming use of credit cards for online transactions. Furthermore, in today's competitive marketplace, merchants not accepting credit cards may lose business to other merchants that do.

However, credit cards are the most expensive payment instrument to accept. According to the Food Marketing Institute (2000), credit cards on average cost supermarkets 72¢ per transaction compared to 34¢ for online debit cards and 36¢ for checks.² A significant portion of the cost is

¹According to a recent Federal Reserve Survey, 63 percent of issuers did not charge an annual fee (Board of Governors of the Federal Reserve System, 2000). Issuers are more likely to impose annual fees if their cards are loaded with additional enhancements.

²Online debit cards use automated teller networks to process transactions and are PIN-based as opposed to offline debit cards that use credit card networks and are signature-based.

due to the merchant discount, the level of discount that each merchant receives when converting its credit card receipts into good funds. In the United States, merchant discounts generally range from 1.25 percent to 3 percent and are bilaterally negotiated between merchants and their financial institutions.

Merchants seldom charge more to credit card customers. Differentiated prices at the point of sale has a long legislative and legal history (see Barron et al., 1992; Board of Governors of the Federal Reserve System, 1983; Chakravorti and Shah, 2003; Kitch, 1990; Lobell and Gelb, 1981).³ However, studies in jurisdictions where merchants are allowed to impose surcharges find that merchants do not usually impose them (Vis and Toth, 2000; IMA Market Development AB, 2000) confirming Frankel (1998), who suggested that merchants generally adhere to price cohesion. While credit card surcharges are relatively rare, some merchants in California do impose surcharges on purchases made with online debit cards suggesting that merchants may face barriers to imposing credit card surcharges at the point of sale.

Some credit card network practices have been recently challenged in the U.S. courts. One antitrust case questioned various credit card association rules such as governance duality, permitting a member to serve on the Board of Directors of one association while being a member of key committees of the other, and exclusivity, the inability of members of the associations to issue credit and charge cards from competitor networks. The other case questioned honor-all-cards rules requiring merchants to accept all branded payment products offered by the card association's members carrying its logo. In this article, we explore some of these issues in the context of the model we develop.

Our paper provides answers to the following questions. Why do merchants accept credit cards even though credit cards are the most expensive payment instrument to process? What conditions are necessary for a credit card equilibrium to exist? Does the market for credit cards exhibit network effects? Does the decision of a merchant to accept credit cards affect profits of other merchants?

We construct a two-period, three-agent model to investigate these questions. Our model yields the following results. First, if merchants earn a sufficiently high profit margin and the cost of funds

³The Netherlands, Sweden, and the United Kingdom prohibit credit card associations from imposing no-surcharge rules. The Australian authorities have imposed a similar ban.

is sufficiently low, a credit card equilibrium exists. In other words, the issuer finds it profitable to provide credit card services, merchants accept credit cards, and consumers use them. Second, the discount fee that merchants are willing to pay their bank increases as the number of illiquid credit card consumers increases. This result indicates the presence of network effects in the credit card market. Third, a prisoner’s dilemma situation arises, where each merchant chooses to accept credit cards but by doing so each merchant’s two period profit is lower. In other words, there exists intertemporal business stealing among merchants across different industries. The remainder of the article is organized as follows. In the next section, we present our model. We solve for the credit card equilibrium in Section 2, discuss policy implications in Section 3, and conclude in Section 4.

1 The Model

In our model, the five main credit card participants—the consumer, the consumer’s financial institution or the issuer, the merchant, the merchant’s financial institution or the acquirer, and the credit card network—have been condensed to three participants. The issuer, the acquirer, and the network operator are assumed to be a single agent and referred to as the issuer. This may not be unrealistic given the history of the credit card industry—when Bank of America started operating a credit card system in 1958 it served as issuer, acquirer, and network operator.⁴

Assume that there is a continuum, say $[0, 1]$, of indivisible goods exogenously priced at p . Each good is sold by a monopolistic merchant for whom unit cost is $c < p$.⁵ Monopoly rents are maintained because each good within this continuum is distinct from one another (e.g., car repairs, new refrigerator, etc). By having a continuum of merchants, we focus our attention on a world where merchants are small and have no bargaining power to set the merchant discount rate.⁶ Since

⁴American Express and Discover operate in this manner. Although American Express is primarily known for its charge cards, it also issues credit cards such as Optima and the Blue card. In the 1960s, Bank of America licensed its BankAmericard product, known today as the Visa card, to other banks in large part because interstate branching restrictions at the time hindered expansion. For more details, see Chakravorti (2000), Evans and Schmalensee (1999), Mandell (1990) and Nocera (1994).

⁵Rochet and Tirole (2002), Schwartz and Vincent (2002) and Wright (2000) also assume noncompetitive goods markets in their credit card models. Chakravorti and Emmons (2003), Gans and King (2001), and Wright (2000) consider competitive goods markets.

⁶We do not allow merchants to issue their own credit cards. Some merchants do issue their own credit cards but the market share of such cards is small compared to the share of third-party general-purpose credit cards. Nilson Report (1999) reported U.S. general-purpose credit and charge card transactions in 1998 at 10.04 billion valued at

merchants earn rents, credit cards can be of value if they increase sales.

Each consumer's demand for these goods is randomly determined in order to capture the notion that consumer spending may be stochastic and that some expenditures may be unanticipated. In particular, we assume that with probability γ a consumer does not need to consume one of these goods and with probability $1 - \gamma$ she does. If she needs to consume then she is randomly and uniformly matched to one of these goods and must consume or else face a utility loss of u . In either case, consumers start at a base utility level which, for notational convenience, we normalize to 0. These goods can be thought of as a critical part or service required for an unanticipated breakdown of an appliance or a car, where the consumer has to purchase the part or service from a specific merchant. Other formulations where consumers gain utility from consumption are possible and yield identical results.

As is typically true in actual practice, we assume that merchants do not charge different prices to their credit card and cash purchasers.⁷ Why merchants do not differentiate between credit and cash purchases is a difficult question to answer. It may simply be the case that faced with a higher price for credit purchases, consumers may choose to purchase elsewhere rather than pay a higher price. For example, in the eighties, some gasoline retailers gave discounts for cash payments but eventually returned to a policy of uniform pricing (Barron et al., 1992). In addition, national and state laws have also restricted pricing policies in the past and some states continue to do so. However, Federal Reserve Regulation Z allows all merchants to offer discounts for non-credit card purchases. Given that there is no economic difference between imposing surcharges for credit card purchases or offering discounts for non-credit card purchases, it seems puzzling that both types of statutes coexist.

The assumption that prices are exogenously set is not entirely unrealistic as we can take the magnitude of the markup to be dependent on the structure of the product market (i.e., the elasticity of demand, the availability of close substitutes, etc). Furthermore, franchises often make "suggestions" to franchisees regarding many of their operating conditions, such as price. Moreover, \$986 billion whereas proprietary credit card transactions at 3.38 billion valued at \$145 billion.

⁷The alternative instrument that we consider need not be cash but could be an electronic substitute that are less expensive to process than credit cards such as online or PIN-based debit cards.

the fact that merchants cannot increase prices to recover the additional costs associated with credit card transactions actually strengthens any result in which they are willing to accept credit cards. That is, because exogenously fixing prices removes a degree of freedom from the merchants, *if credit card equilibria exist under fixed prices, they would also exist if merchants were free to adjust prices.*

Assume there is a continuum of consumers. Each consumer has income ω_t in periods $t = 1, 2$. For each consumer, ω_t is independently distributed via continuous cumulative distribution function F and associated probability density function f and has support $\Omega = [\underline{\omega}, \bar{\omega}]$. Consumers have discount factor β . Consumers may choose from two payment instruments; they can pay with cash or with a credit card if they have sufficient credit available. Any money not spent in the first period earns return $R > 1$. R will also be the issuer's cost of funds and the interest rate earned on merchants' first period profits.

Assume that a monopolistic issuer offers a credit card to all consumers with credit limit $L(\omega)$. That is, if a consumer has a first period income of ω_1 , the amount of credit issued to her by the financial institution is $L(\omega_1)$. Since the economy only lasts for two periods, credit is only offered in the first period. The issuer then collects debts owed (or however much is collectable) at the beginning of the second period.⁸ It is important to note consumers pay no interest on credit card purchases. This assumption is based on the observation that credit card purchases have a "grace period" during which no interest accumulates. There would be interest due only if part of the consumer's debt were carried over into a third period. The agreements between the issuer and consumers and between the issuer and the merchants is assumed to be costlessly enforceable.

For reasons of tractability, revolving credit is excluded and the economy lasts for only 2 periods.⁹ However, such an abstraction may not be unrealistic given the use of charge cards and industry estimates that as much as forty percent of credit card consumers pay off their balances in full every month. Some issuers have specifically targeted pricing policies and incentives towards this group of consumers (see Chakravorti and Shah, 2003). Furthermore, the qualitative results of the model would not change if an additional period of credit were added, however a monopolist issuer should

⁸While there is uncertainty at the consumer level, there is no aggregate uncertainty given the large number of consumers. Hence, the issuer's credit risk is zero. The results would not qualitatively change if aggregate uncertainty were introduced.

⁹Chakravorti and Emmons (2003) are the only ones to consider the impact of revolvers on the credit card network.

Date	Agent	Actions
$t = 0$	Issuer	Choose $\hat{\omega}$ and ρ
	Merchants	Accept/Not-Accept Credit Cards
$t = 1$	Nature	Determine ω_1 and demand for each consumer
	Consumers	Buy/Not-Buy If Buy, Use/Not-Use Credit
$t = 2$	Nature	Determine ω_2 and demand for each consumer
	Issuer	Collect Debts
	Consumers	Make Cash Purchases

Figure 1: Sequence of actions

be able to earn rents from consumers in addition to rents that it earns from merchants.

Since the price of each good is identical, without loss of generality, the issuer can choose credit limits among functions of the following form: $L(\omega) = 0$ if $\omega_1 \notin \hat{\Omega}$ and $L(\omega) = p$ if $\omega_1 \in \hat{\Omega}$ where $\hat{\Omega} \subset \Omega$. That is, we can limit L to take only the values of 0 and p since a credit card is useful only if it allows one to consume the good—credit limits below p or beyond p are of no use. Since lower-income consumers will have a higher risk of default, it must be the case that the optimal $L(\omega)$ will have $\hat{\Omega} = [\hat{\omega}, \bar{\omega}]$ for some $\hat{\omega} \in \Omega$. Thus, the issuer can simply choose $\hat{\omega}$ to maximize revenues while minimizing defaults. Given that we examine credit limit functions which take values of 0 on $[\underline{\omega}, \hat{\omega})$ and p on $[\hat{\omega}, \bar{\omega}]$, we will call $\hat{\omega}$ the *income requirement*, below which consumers are not offered credit cards.

Merchants must decide whether or not to accept credit cards as payment for first period purchases. The issuer imposes a per-sale transaction fee, $\rho \geq 0$, for each credit card purchase. The issuer pays the merchant the difference between the sales receipts and the amount corresponding to the merchant discount. Since the mix of customers matched to each merchant is the same, each merchant faces an identical profit maximization problem. As will later be verified, in equilibrium all merchants will either accept credit cards or none will accept them.

The structure of the model is illustrated in Figure 1. At time 0, the issuer chooses the transaction fee, ρ , and the income requirement, $\hat{\omega}$, for consumers to qualify for a credit card. The merchants then decide whether or not to accept credit. At the beginning of periods 1 and 2, consumer incomes

and desired consumptions are randomly determined. In period 1, each consumer decides whether to purchase her desired consumption good and then if she has access to credit, how she should pay for it. Any outstanding debts are collected after the realization of second period income. If she has sufficient funds in period 2, she may choose to consume but can only pay with cash, because the issuer extends no credit in period 2.

2 Equilibrium

2.1 Consumers

Starting with the second period, a consumer will always purchase the good she desires if she can afford it. If the consumer had consumed with credit in the first period then she can afford to consume in the second period if $R\omega_1 + \omega_2 \geq 2p$. That is, she earns a return R on her first period endowment, ω_1 . Her total money balances in the second period must be used to pay off her debt from the first period, namely p . If $R\omega_1 + \omega_2 < p$ then she defaults and the sum $R\omega_1 + \omega_2$ is seized by the issuer. Before the realization of her second period income, the probability that she can afford to consume is $\Pr(\omega_2 \geq 2p - R\omega_1)$. Similarly, given that she consumed with cash in the first period, the probability that she can afford to consume in the second period is $\Pr(\omega_2 \geq p - R(\omega_1 - p))$. Finally, if she did not buy at all in the first period, the probability that she can afford to consume in the second period is $\Pr(\omega_2 \geq p - R\omega_1)$. Given some target second period wealth level, x , the probability that ω_2 is at least x can be written in terms of the cumulative distribution function as $\Pr(\omega_2 \geq x) = 1 - F(x)$.

We can now calculate a consumer's first period discounted expected utility from purchasing with her credit card and from purchasing with money. With probability $1 - \gamma$, a consumer needs to consume. If she has access to and buys on credit, she receives discounted expected utility of:

$$U^c(\omega_1) = -\beta(1 - \gamma) \Pr[\omega_2 < 2p - R\omega_1]u. \quad (1)$$

By purchasing, she prevents a utility loss of u in the first period and, if necessary (with probability $1 - \gamma$), if she can afford to, will consume in the second period. Second period consumption is

discounted by β . If a consumer consumes with cash, she receives discounted expected utility of:

$$U^m(\omega_1) = -\beta(1 - \gamma) \Pr[\omega_2 < p - R(\omega_1 - p)]u. \quad (2)$$

If a consumer does not consume in the first period, she gets utility of:

$$U^0(\omega_1) = -u - \beta(1 - \gamma) \Pr[\omega_2 < p - R\omega_1]u. \quad (3)$$

Finally, with probability γ , the consumer simply does not need to consume at all and receives utility of:

$$U^\theta(\omega_1) = -\beta(1 - \gamma) \Pr[\omega_2 < p - R\omega_1]u. \quad (4)$$

It follows that all consumers, given the opportunity, will consume and that if they have credit available will prefer to purchase on credit rather than pay cash. Because consumers are not explicitly charged for using their credit cards and earn interest on their funds for one period, credit card payments dominate cash payments.

If merchants were to set different prices based on the payment instrument used, liquid consumers would choose to use cash over credit cards given the appropriate price difference. However, there are different views in the academic literature about the welfare effects of setting different prices based on the payment instrument used (see Chakravorti, 2003). Chakravorti and Emmons (2003) suggest such a pricing strategy improves welfare given competitive markets when issuers offer incentives to convenience users who do not share in the cost of providing payment services. Schwartz and Vincent (2002) suggest that consumer surplus may be lower if merchants charge the same price for credit card and cash purchases. Rochet and Tirole (2002) and Wright (2000) suggest that allowing merchants to set different prices may not be welfare enhancing. We will discuss the effect of such a pricing strategy on other participants in the context of our model below.

2.2 Merchants

We are primarily interested in and will derive conditions for the existence of equilibria in which merchants accept credit cards. Since prices and costs are exogenously specified, and accepting credit cards is costly, merchants will be willing to accept credit cards only if they increase sales volume. In a credit card equilibrium, it must be that $\hat{\omega} < p$ since otherwise merchants who accepted credit cards would not increase their sales and would also be required to pay fee ρ on all credit card sales.

In order to make their decision, merchants forecast the current and future demand for their product. First period demand is based on the distribution of first period income, $F(\omega_1)$, and the credit limit offered by the issuer, $L(\omega_1)$. Second period demand depends on the distribution of total wealth, net of cash purchases or credit repayments, at the beginning of the second period. This in turn depends on the equilibrium and as a result, the credit limit function L . Let the distribution of second period net total income be given by the cumulative distribution function, $H(x; \hat{\omega})$.

Provided that $p \geq \hat{\omega}$, each merchant's discounted expected profits from accepting credit cards will be proportional to:

$$\pi^c = [1 - F(\hat{\omega})](p - c - \rho) + \frac{1}{R}[1 - H(p; \hat{\omega})](p - c). \quad (5)$$

The same merchant's discounted expected profits from not accepting credit cards will be proportional to:

$$\pi^{nc} = [1 - F(p)](p - c) + \frac{1}{R}[1 - H(p; \hat{\omega})](p - c). \quad (6)$$

Notice that since individual merchants are massless, a single merchant's decision of whether or not to accept credit has no effect on second period sales and as a result, a merchant will accept credit cards when:

$$[1 - F(\hat{\omega})](p - c - \rho) \geq [1 - F(p)](p - c).$$

and will not when the opposite is true. As long as ρ is sufficiently small, if $\hat{\omega} < p$, the merchant will choose to accept credit cards. By accepting credit, a merchant sells an additional $F(\hat{\omega}) - F(p)$

units—all credit sales come at the additional unit cost of ρ . Finally, as we will see, the fact that the merchant’s problem does not depend on $H(p; \hat{\omega})$ (and thus its credit acceptance decision) will have important implications for merchant welfare.

2.3 The Issuer

The issuer maximizes profits through choice of ρ and $\hat{\omega}$. The question then is, under what conditions will the issuer choose ρ and $\hat{\omega}$ such that merchants are willing to accept credit as a form of payment. To solve the issuer’s problem, it needs to be able to forecast the gross income, $x = R\omega_1 + \omega_2$, of consumers to whom they extend credit, $\omega_1 \geq \hat{\omega}$. The distribution of x conditional on the realization of ω_1 is $G(x | \omega_1) = \Pr[R\omega_1 + \omega_2 \leq x] = F(x - R\omega_1)$. Conditional on $\omega_1 \geq \tilde{\omega}$ for some $\tilde{\omega} < \bar{\omega}$, the distribution of x is:

$$G(x | \omega_1 \geq \tilde{\omega}) = \int_{\tilde{\omega}}^{\bar{\omega}} F(x - R\omega_1) \frac{f(\omega_1)}{1 - F(\tilde{\omega})} d\omega_1. \quad (7)$$

When all merchants accept credit, the issuer’s profits can be written as:

$$\Pi = (1 - \gamma)[1 - F(\hat{\omega})] \left\{ - (p - \rho) + \frac{1}{R} \left[p(1 - G(p | \omega_1 \geq \hat{\omega})) + \int_{\min\{R\hat{\omega} + \underline{\omega}, p\}}^p xg(x | \omega_1 \geq \hat{\omega}) dx \right] \right\}, \quad (8)$$

where $G(\cdot | \omega_1 \geq \hat{\omega})$ is given by (7) and $g(\cdot | \omega_1 \geq \hat{\omega})$ is the associated conditional probability density function. The first term is the amount lent to consumers for first period credit purchases, less the sales fee charged to merchants. The terms within the brackets are repayments from the consumers who do not default and those from consumers who do. Notice that as long as F is continuous, Π is continuous. Since $(\rho, \hat{\omega})$ must belong to the compact set $[0, p - c] \times [\underline{\omega}, \bar{\omega}]$, Π has a global maximum so that there exists at least one equilibrium. We now investigate some of the properties of these equilibria.

Notice that ρ ’s purpose is to extract rents from the merchants and has no effect on the gross rents available. It is therefore straightforward to derive the optimal ρ by setting $\pi^c = \pi^{nc}$ and solving. When $\hat{\omega} > p$, no additional sales are generated by the acceptance of credit cards and

$\rho = 0$. When $\hat{\omega} \leq p$, this is given by:

$$\rho(\hat{\omega}) = \frac{F(p) - F(\hat{\omega})}{1 - F(\hat{\omega})}(p - c). \quad (9)$$

In other words, ρ is a fraction of the additional first period revenues generated by the acceptance of credit cards. Differentiating $\rho(\hat{\omega})$ with respect to $\hat{\omega}$ yields:

$$\frac{\partial \rho}{\partial \hat{\omega}} = -\frac{f(\hat{\omega})(1 - F(p))}{(1 - F(\hat{\omega}))}(p - c). \quad (10)$$

and the following proposition:

Proposition 1 *The fee that the issuer can charge merchants falls as credit becomes more restrictive.*

In a broader sense, the ability to increase merchant fees is directly related to the number of consumers that have access to credit cards. Credit cards in our model display characteristics of a network good because as the number of illiquid cardholders increases the value of accepting them also increases (e.g., Economides, 1996; Katz and Shapiro, 1985).¹⁰

The variable $\hat{\omega}$ determines the magnitude of available rents. Note first that if $(1 + R)\underline{\omega} \geq p$ then even the poorest consumers can afford to repay p and there would be no defaults. As a result, if the bank issues any credit, it issues it to everyone (i.e., $\hat{\omega} = \underline{\omega}$). On the other hand, if $(1 + R)\underline{\omega} < p$ and $\hat{\omega} < p$ then depending on $\hat{\omega}$, some consumers may default. We investigate this more interesting, case. In particular, if $\hat{\omega}$ is such that $R\hat{\omega} + \underline{\omega} < p$, a positive measure of consumers default with certainty.

To determine whether or not banks are willing to extend credit to consumers, take the first order condition for the issuer's profit maximization problem with respect to $\hat{\omega}$. Since optimal ρ is given by (9) for any $\hat{\omega}$, we can first substitute (9) into (8) before taking the first order condition.

¹⁰For a discussion of network effects in credit card markets see Katz (2001).

The first derivative is given by:

$$\frac{\partial \Pi}{\partial \hat{\omega}} = (1 - \gamma)f(\hat{\omega}) \left\{ c + \frac{1}{R} \left[p(F(p - R\hat{\omega}) - 1) - \int_{\min\{R\hat{\omega} + \underline{\omega}, p\}}^p xf(x - R\hat{\omega})dx \right] \right\}, \quad (11)$$

where $\hat{\omega}$ must lie in $[\underline{\omega}, \bar{\omega}]$.

Proposition 2 *If R and c^2 are not too large then in every equilibrium, the issuer extends credit (i.e., the $\hat{\omega} \in [\underline{\omega}, p^2)$), almost all merchants accept credit and some consumers default.*

Proof: To evaluate the first order condition we need to evaluate it for $\hat{\omega}$ where 1) $R\hat{\omega} + \underline{\omega} \geq p$ and 2) $R\hat{\omega} + \underline{\omega} < p$.

Consider $\hat{\omega}$ such that $R\hat{\omega} + \underline{\omega} \geq p$. In this case there will be no defaults—the minimum income required to qualify for a credit card, including the return it earns, and the minimum income in the second period is sufficient to fully repay p . In this case,

$$F(p - R\hat{\omega}) = \int_{\min\{R\hat{\omega} + \underline{\omega}, p\}}^p xf(x - R\hat{\omega})dx = 0,$$

so that (11) simplifies to:

$$\frac{\partial \Pi}{\partial \hat{\omega}} = (1 - \gamma)f(\hat{\omega}) \left\{ c - \frac{p}{R} \right\}. \quad (12)$$

If $R = 1$ or $c = 0$, this is strictly negative so that as long as R and c are not too large, an equilibrium must have $\hat{\omega} < p$ so that there is credit.

Now, notice that at $R\hat{\omega} + \underline{\omega} = p - \varepsilon$, for ε sufficiently small this derivative is still negative. Since (11) is strictly negative for $\hat{\omega} \in [(p - \underline{\omega} - \varepsilon)/R, \bar{\omega}]$, any maximum must satisfy $R\hat{\omega} + \underline{\omega} < p$. Thus, in every equilibrium, a positive measure of the consumers who purchased on credit, $F(p) - F(R\hat{\omega} + \underline{\omega})$, default.

Finally, the analysis so far has assumed that all merchants accept credit cards. Suppose that this were not the case and that in equilibrium some proportion ζ accept credit cards while some proportion $1 - \zeta$ do not accept credit cards. In this case, the issuer's profits would be given by $\zeta\Pi$ where Π is as given in (8) and optimal $\hat{\omega}$ is still characterized by (11). However, if the issuer

lowered ρ by ε , then all merchants would strictly prefer to accept credit. Since we can take ε to be small, the issuer can discontinuously increase her profits by lowering ρ and in equilibrium the set of merchants who do not accept credit is of measure zero. As a result, in equilibrium almost all merchants accept credit. ■

That is, as long as there are sufficient rents available and the cost of funds is not too large, in every equilibrium of this model the issuer offers credit, merchants accept credit cards, and consumers use credit cards to make purchases when possible. The issuer chooses the income requirement, $\hat{\omega}$, above which consumers can purchase on credit, such that a non-zero mass of consumers will be unable to pay off their first period debt and default. If the objective function is concave, then the equilibrium is unique.

Combined with the fact that merchants are massless, the set of any individual merchant's repeat purchasers will be of measure zero. This implies that merchants will not consider the effect of current decisions on future revenues. Since merchants' second period revenues are not directly impacted by their decision over whether or not to accept credit and since all of the additional first period rents are extracted, they must be worse off because the aggregate second period distribution of wealth and therefore sales are lower.

This effect comes about because merchants face an externality much like that in the Prisoner's Dilemma. As a group, merchants realize group acceptance of credit cards reduces second period profits and that first period rents generated by the acceptance of credit cards will be fully extracted—they therefore recognize that, as a group, they would be better off not accepting credit.¹¹ Individually, however, a merchant's decision of whether or not to accept credit cards has no effect on net total consumer incomes and the issuer can choose ρ such that all merchants find it in their best interest to accept credit cards. Thus, merchants accept credit despite the fact that they are made worse off.

One can also think of this externality as an intertemporal business stealing effect. Since merchants are unlikely to face the same customer in the future, the acceptance of credit cards allows individual merchants to capture sales which might otherwise be made by another merchant in the

¹¹The effect of one merchant's decision on other merchants is discussed by Katz (2001).

second period. Note that this externality is not a feature of our assumed finite horizon. In any given period, the merchant faces a decision over whether to accept credit. With almost no repeat purchasers, their current decision has no impact on future sales so that their decision is based only on the additional revenues generated today, leading to the externality described. Note that business stealing in our model occurs across industries and across time unlike any other model of payment card networks.

Furthermore, the exogeneity of prices is not an issue when the issuer is a monopolist. At first glance, one might suppose that an ability to set prices would allow the merchant to retain a share of any additional rents. However, since the issuer can rationally anticipate any price increase, it can still choose ρ to completely extract any additional rents. In other words, given full extraction, if the merchant can raise its price in response to the merchant discount, it would still be unable to retain any of the additional first period rents from illiquid consumers. Allowing merchants to set prices based on the underlying cost of the payment instrument used would not qualitatively change our results since the issuer would still fully extract rents from illiquid consumers. Similarly, additional issuer revenues garnered directly from consumers in the form of fees or potential finance charges from borrowing for longer periods, would have no bearing on the issuer's incentive to extract rents from the merchant.

Finally, we would like to discuss introducing revolving credit. One way to introduce revolvers is to add a third period during which consumers receive further income but do not consume. Consumers who are unable to pay their remaining balances in the second period must pay interest on the remaining balances in the third period. Allowing for revolvers in this manner involves some additional difficulties; it complicates the consumer's problem and the rate of interest charged to the consumer should ideally be endogenously determined by the issuer. However, as far as the choice over the availability of credit goes, the problem remains essentially unchanged. Given some interest rate on consumer debt, one can calculate the future distribution of income. As long as this distribution is reasonably well behaved, maximizing issuer profits will yield qualitatively similar results.

3 Policy Implications

Our model provides a benchmark for policymakers to consider when setting policies regarding credit card networks. We consider a credit card market where consumers are given rebates in the form of an interest-free short-term loan and merchants do not impose surcharges on credit card purchases. We also consider a monopolistic issuer and merchants that are monopolists but no single merchant has any bargaining power with the issuer. Under these conditions, we find that a credit card equilibrium exists and certain participants benefit while others may not benefit. In this section, we consider the recent policy debate that is occurring in numerous countries regarding certain common market practices.

In October 2001, a verdict was given on an antitrust case against the two largest credit card networks—MasterCard and Visa—that claim over 75 percent of the U.S. general-purpose credit card market.¹² The U.S. Department of Justice (DOJ) charged the two associations with colluding resulting in adverse effects on competition and consumer welfare. The court ruled in favor of the associations regarding dual governance, but ruled in favor of DOJ regarding exclusivity. The card associations are appealing the decision to allow member banks the right to issue other credit and charge card products belonging to other networks. The underlying premise of this case is that market power at the network level may affect certain participants adversely.¹³

A key issue raised by the Australian authorities is the nature of the cooperative arrangement in setting certain fees such as the interchange fee—the fee collected by the issuer from the acquirer. These fees are set at the network level based on certain merchant characteristics and other factors. The Reserve Bank of Australia have imposed formulas to determine interchange fees in credit card networks and have prohibited no-surcharge rules.

Rochet and Tirole (2002) and Schmalensee (2002) examine the setting of the interchange fee.

¹²In another case, over 5 million retailers accused the two credit card associations of imposing illegal tying arrangements that forced merchants accepting one of the credit card association's branded payment products to accept all of their branded products. This case addressed competition among payment networks and the ability of merchants to accept certain products and decline other products from the same card association. Recently, the case was settled immediately before the scheduled trial date. As part of the settlement, MasterCard and Visa agreed to pay the merchants \$3 billion and remove their honor-all-cards rules.

¹³Hausman et al. (2001) argue that if these joint-ventures are not-for-profit, collusion among the networks yields productive efficiency. While Visa remains a non-profit joint venture, MasterCard has recently changed its governance structure to a private share company.

Rochet and Tirole conclude that there are conditions under which the equilibrium interchange fee is second best optimal and that lifting the no-surcharge rule in these cases reduces welfare. When the equilibrium interchange fee is sub-optimal, lifting the no-surcharge rule may either increase or reduce welfare. Schmalensee does not model the product market and as a result cannot conduct welfare analysis. Instead, he looks at interchange fees which maximize the weighted sum of issuer and acquirer profits under various competitive regimes. Both Rochet and Tirole, and Schmalensee conclude that interchange fees need not, as argued by some, be zero.¹⁴ Wright (2001) finds under various simplifying assumptions that the optimal interchange fees are increasing in the issuers' costs and profitability and decreasing in the acquirers' costs and profitability.

Our model differs in two respects from the models of interchange discussed above. First, rather than taking a reduced form approach where the costs and benefits of credit cards are exogenously assigned functional forms, we specify a model which endogenously yields costs and benefits to the involved parties. Second, we use a dynamic setting in which there are intertemporal tradeoffs for all of the parties involved. Using this approach, we identify an intertemporal externality that merchants impose on one another because their credit acceptance decision has no (or little) impact on future earnings.

Like Rochet and Tirole (2002) we can also model both the merchant discount and the interchange fee by assuming that the market for acquirers is competitive.¹⁵ Given such market structures, interchange fees serve as a lower bound for the merchant discount. Industry estimates indicate that the market for acquirers is fairly competitive in the United States given that certain classes of merchants are basically charged close to the interchange fee. Our results suggests that given the market structures we consider, if there is significant market power to set these fees, both consumers and the issuer must be better off—if it were not the case then either consumers would refuse to use credit cards or the issuer would refuse to issue them.

However, whether merchants gain in a credit card equilibrium *vis-à-vis* a no credit card equilibrium depends on several factors. In our model, there is a single monopolistic issuer/network, merchants have no bargaining power and an individual merchant's current sales have no effect on

¹⁴For a discussion of credit card interchange fees, see Evans and Schmalensee (1999) and Balto (2000).

¹⁵Gans and King (2001) and Wright (2001) consider the setting of interchange fees for different market structures.

future sales. To see the effect of relaxing these assumptions, first consider the extreme case where there is instead a single merchant who still has no bargaining power. This single merchant will face all future consumers so that any change in next period's distribution of consumer wealth will directly impact its future sales. As a result, the merchant will fully internalize the impact of its current credit acceptance decision. However, since the card issuer still holds all of the bargaining power, all rents will still be extracted and therefore the merchant must be indifferent between accepting credit and not. Now suppose that the single merchant does have some bargaining power. In this case, the merchant must garner a share of the rents and must therefore be better off. In general, we can think of a model in which both the number of merchants and their bargaining power can vary with the equilibria ranging from the merchants being worse off (infinite number of merchants and zero bargaining power) to the merchants being better off (one merchant with positive bargaining power). To summarize, the merchants' welfare depends on:

1. The degree of concentration in the market for credit cards.
2. The amount of bargaining power held by merchants.
3. The impact of a single merchant's decision on its volume of future sales.

Our model raises several policy questions regarding the regulation of credit card networks. First, to what degree are the credit card networks able to collude? Second, what is the impact of a single merchant's decision to accept credit cards on the future distribution of consumer wealth and therefore own future sales? Third, how much bargaining power do merchants have in the determination of the merchant discount? It seems reasonable to believe that for most merchants, the decision to accept credit cards or not will have little impact on future income distribution and consequently will have little impact on future sales. Moreover, bargaining power appears to differ between merchants ranging from almost no bargaining power to large chains with strong bargaining power. Merchants with strong bargaining power is evidenced by merchant discounts being extremely close to the appropriate interchange fee. Thus, under our framework, whether or not some merchants are worse off depends on the degree to which the credit card network is monopolistic.

4 Conclusion

We constructed a model along the lines of Baxter (1983) where we consider the various bilateral relationships in a credit card network. With the exception of Chakravorti and Emmons (2003), the literature on credit card networks ignores the cost and benefits of the extension of credit to network participants. We explain why merchants accept credit cards using the most restrictive possible environment—a single issuer, massless merchants, and no cost sharing by consumers either directly in the form of fees or finance charges or indirectly in the form of higher prices. Credit increases sales because both purchases and incomes vary over time and with credit cards ‘credit worthy,’ liquidity-constrained consumers are able to purchase—all else equal, merchants prefer to make a sale today rather than tomorrow. We demonstrate that a credit card equilibrium can exist if the cost of funds is relatively low and the merchant’s profit margin is sufficiently high. We also show that using the merchant discount, the issuer will be able to fully extract rents from merchants resulting from sales to illiquid consumers.

Furthermore, the equilibrium interaction between the merchant discount and the accessibility of credit has network effects. If the card issuer makes credit more widely available, the merchant increases its sales to illiquid customers. This in turn allows the card issuer to increase the discount the merchant is charged. In other words, merchants are willing to pay higher merchant discounts if credit cards generate greater sales. That is, credit card services exhibit network effects.

Finally, we show that there is an externality where merchants find themselves in a prisoner’s dilemma situation. In equilibrium, each merchant chooses to accept credit cards. However, when all merchants accept credit cards, they are all worse off. This result is dependent on the degree of market power held by the issuer, the amount of bargaining power held by merchants, and the ability of merchants to internalize the effect of their current credit acceptance decision on their own future sales. This result is unique to our model.

To summarize, we constructed a dynamic model of credit cards where the benefits to various participants are endogenously determined. Furthermore, in addition to explaining why merchants are willing to accept credit cards, the explicit dynamic nature of the model allows us to identify an important, intertemporal externality which exists in the market for credit cards. The existence

of this externality may have important antitrust implications—what conclusion one draws depends on the degree to which the credit card market is monopolistic.

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